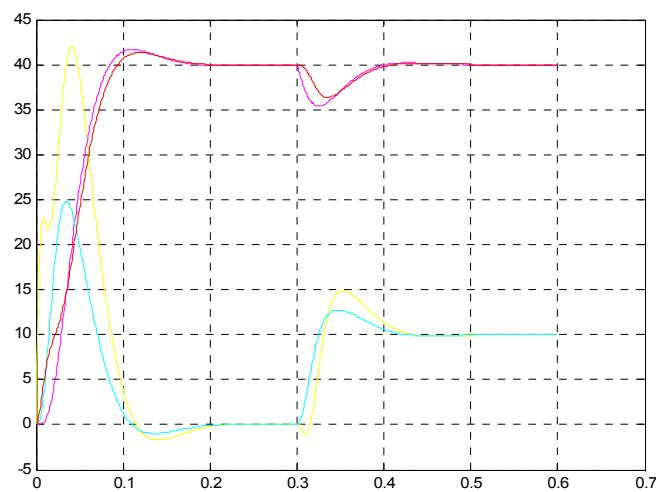
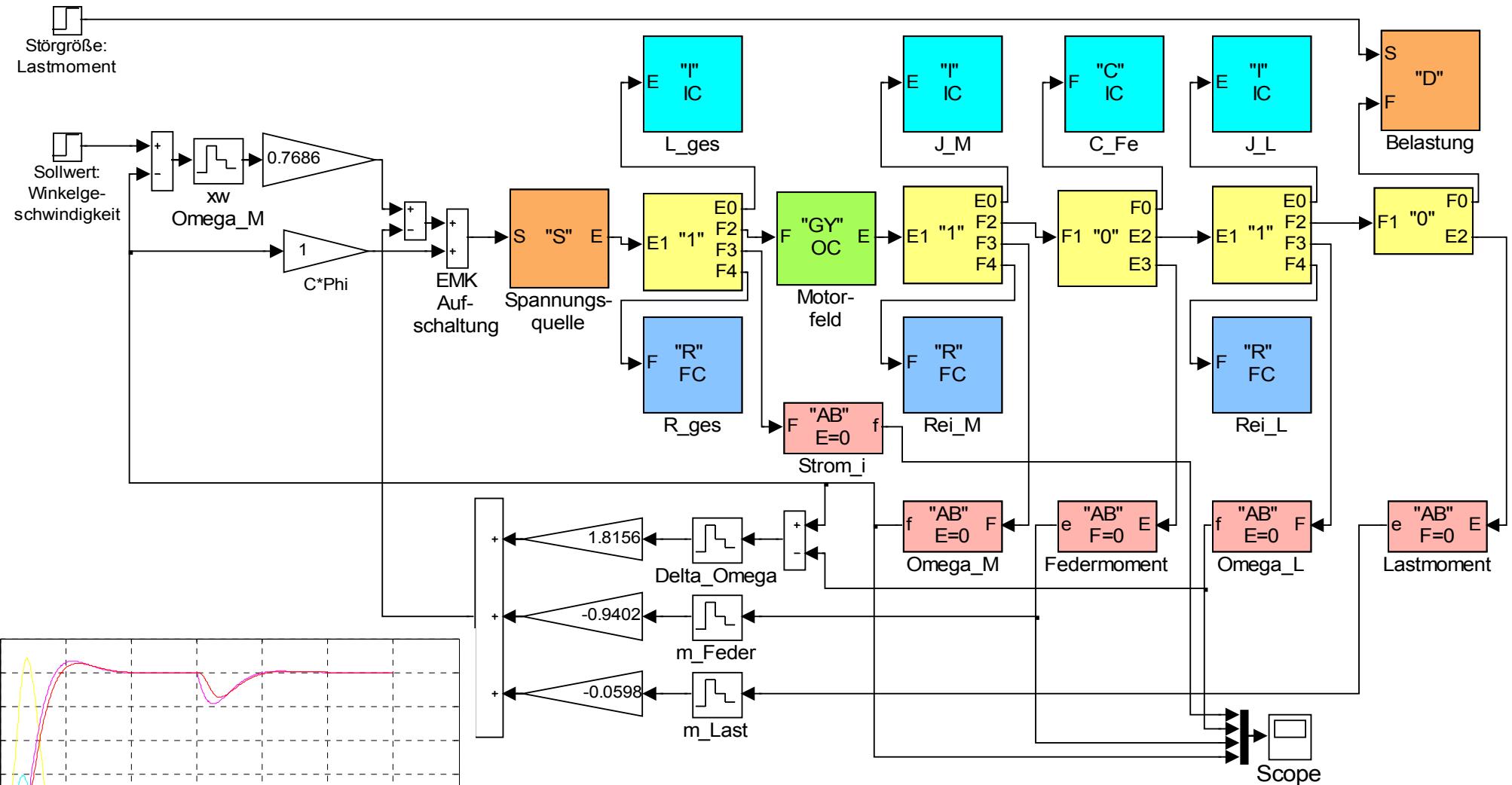
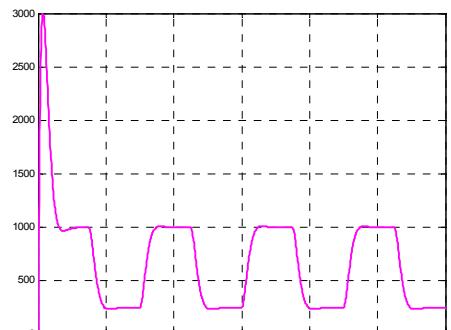
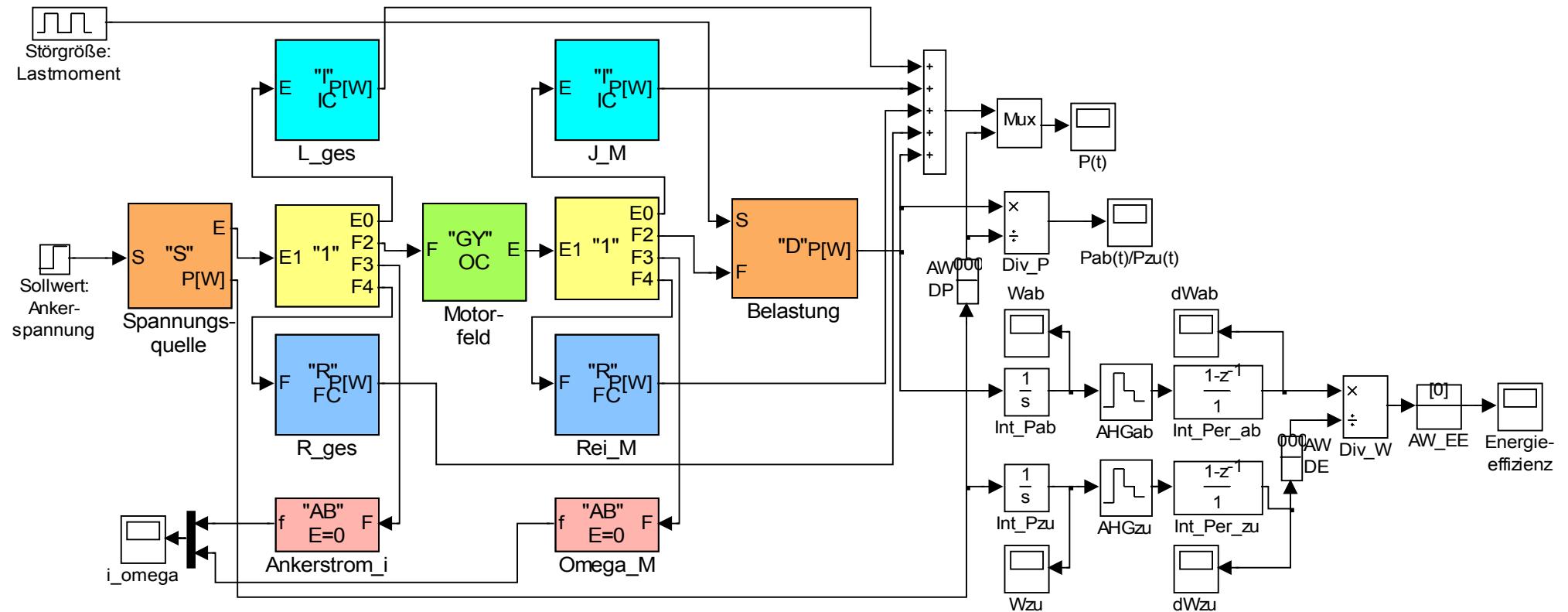


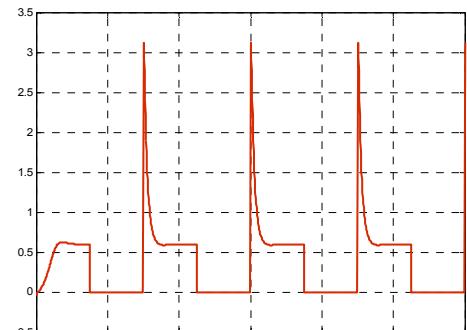
Rotating DC machine driving an elastic shaft



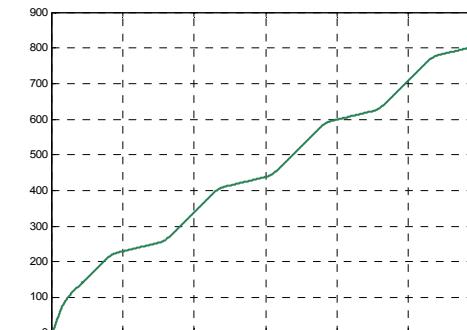
State control structure of a rotating DC machine driving an elastic shaft  
 [Set point step ( $t=0, \Delta=40$ ) and load step ( $t=0.3s, \Delta=10$ ), compensated e.m.f.]



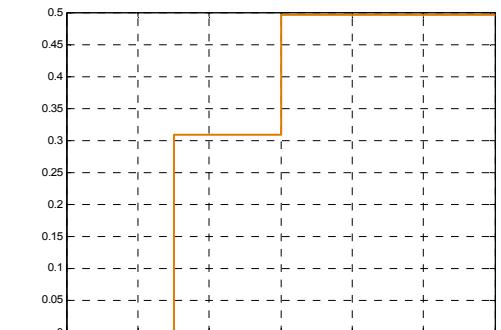
Power  $P(t)$



$P_{ab}(t)/P_{zu}(t)$

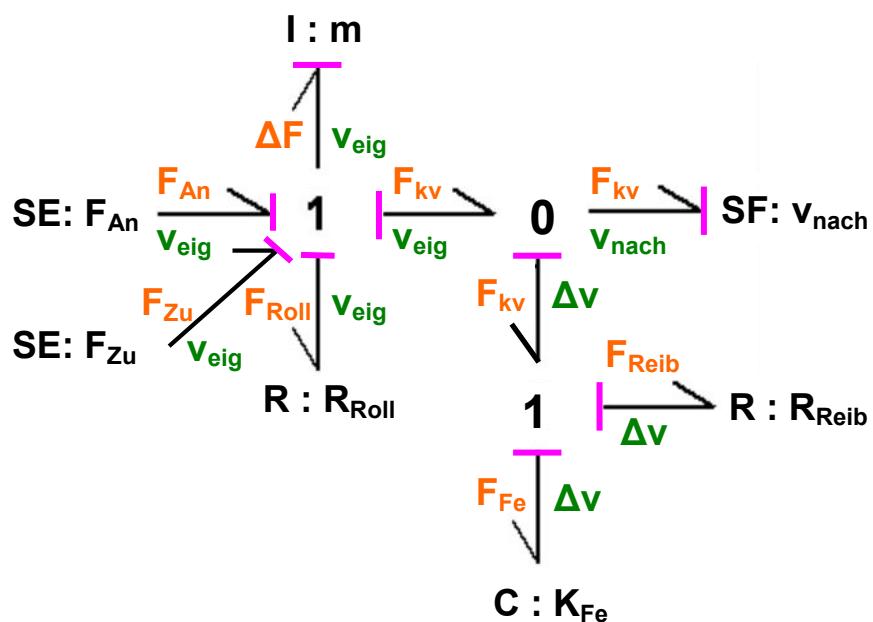
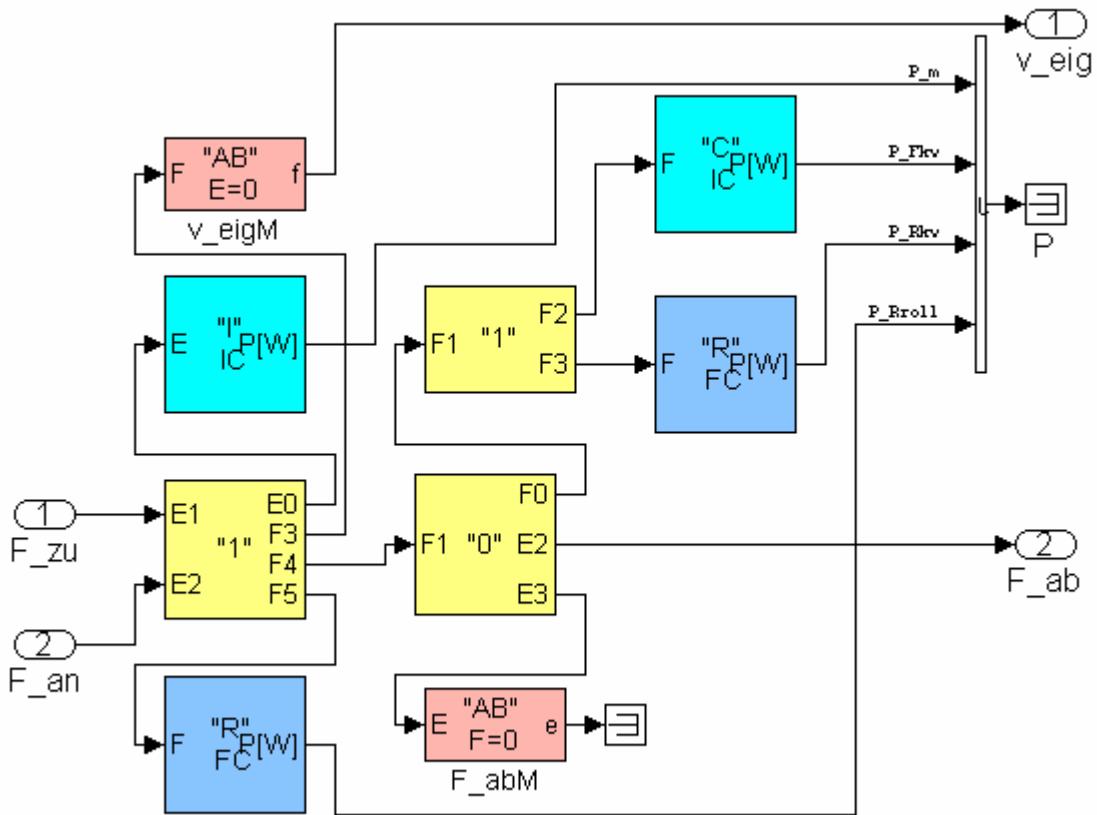


Energy  $W_{zu}$



Energy efficiency  $\varepsilon$

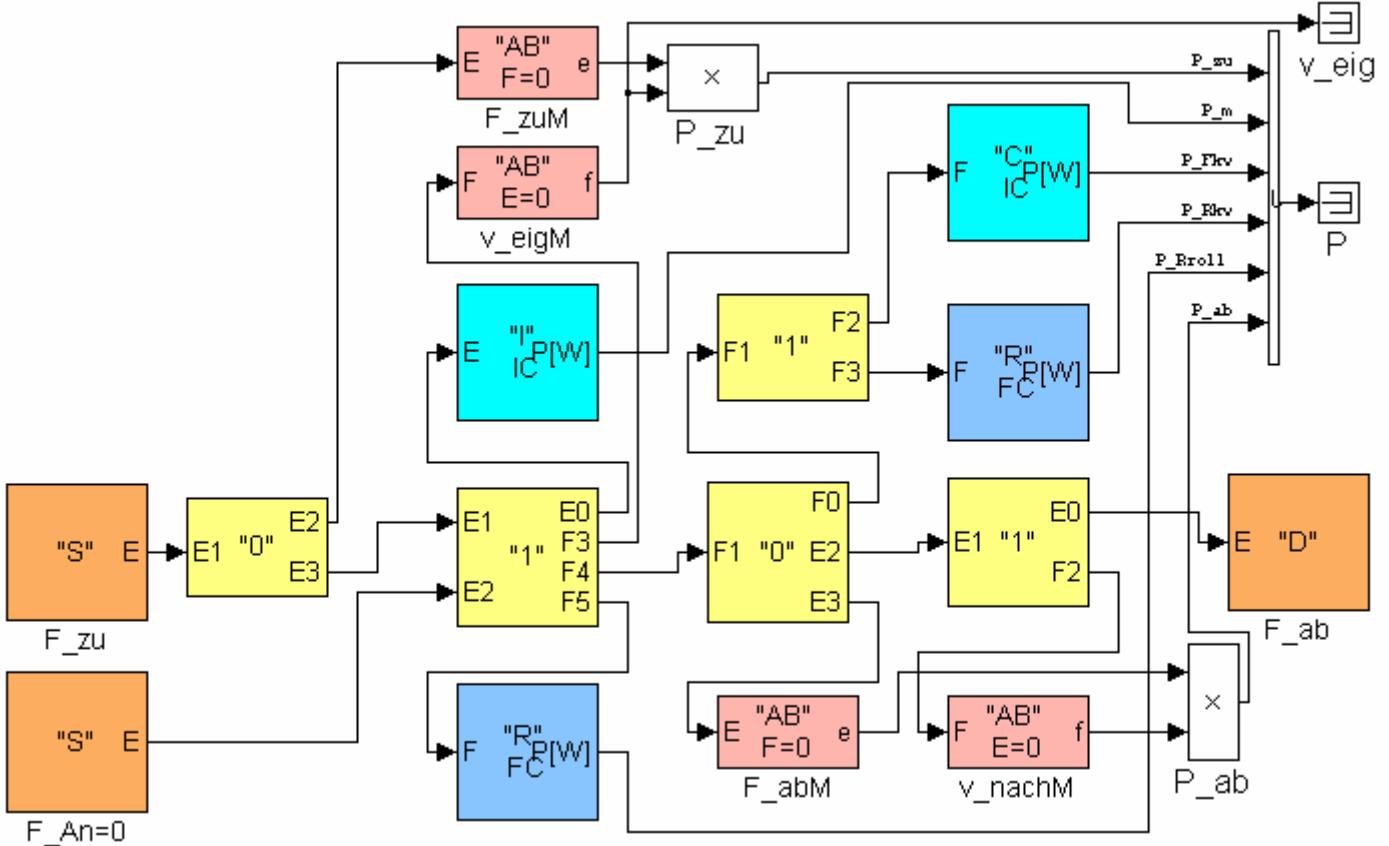
**Energy efficiency, power and energy of a rotating DC machine driving a stiff shaft**



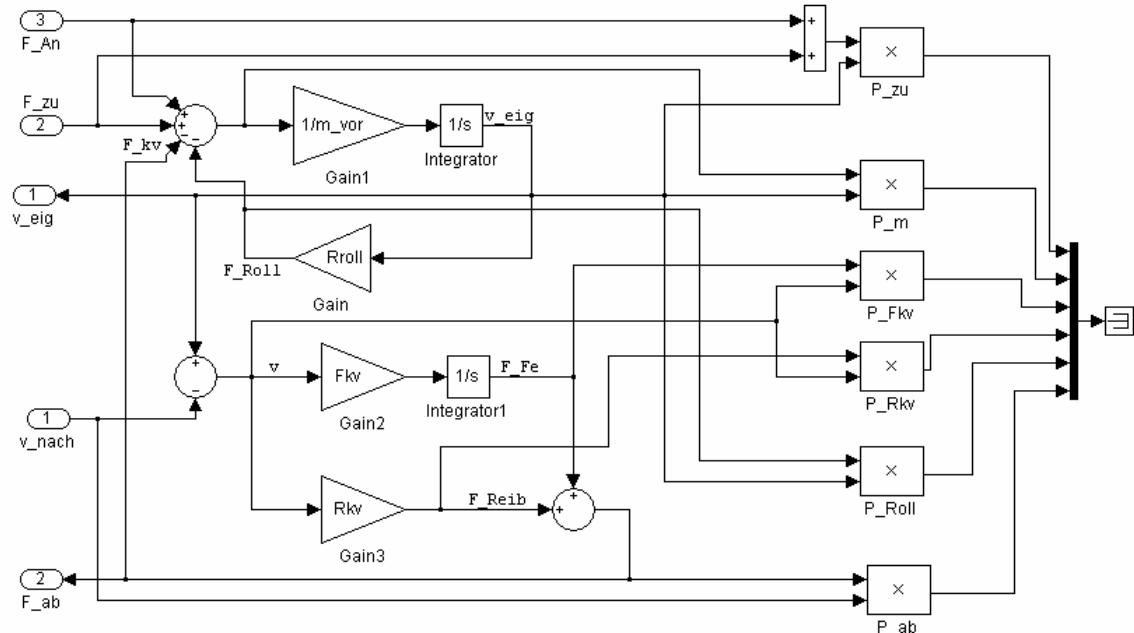
**Kelvin-Voigt-Element ---- minimum form**  
**(without  $v_{nach}$  - and  $F_{zu}$  - measurement as well as power sources resp. drains for Simulink)**

Node equations:

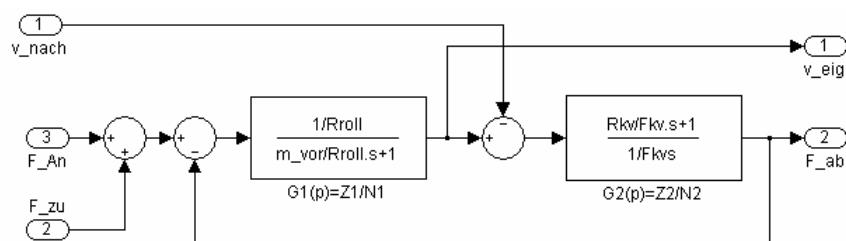
$$\Delta F = (F_{An} + F_{Zu}) - F_{Roll} - F_{kv}; \quad \Delta v = v_{eig} - v_{nach}; \quad F_{kv} = F_{Fe} + F_{Reib}$$



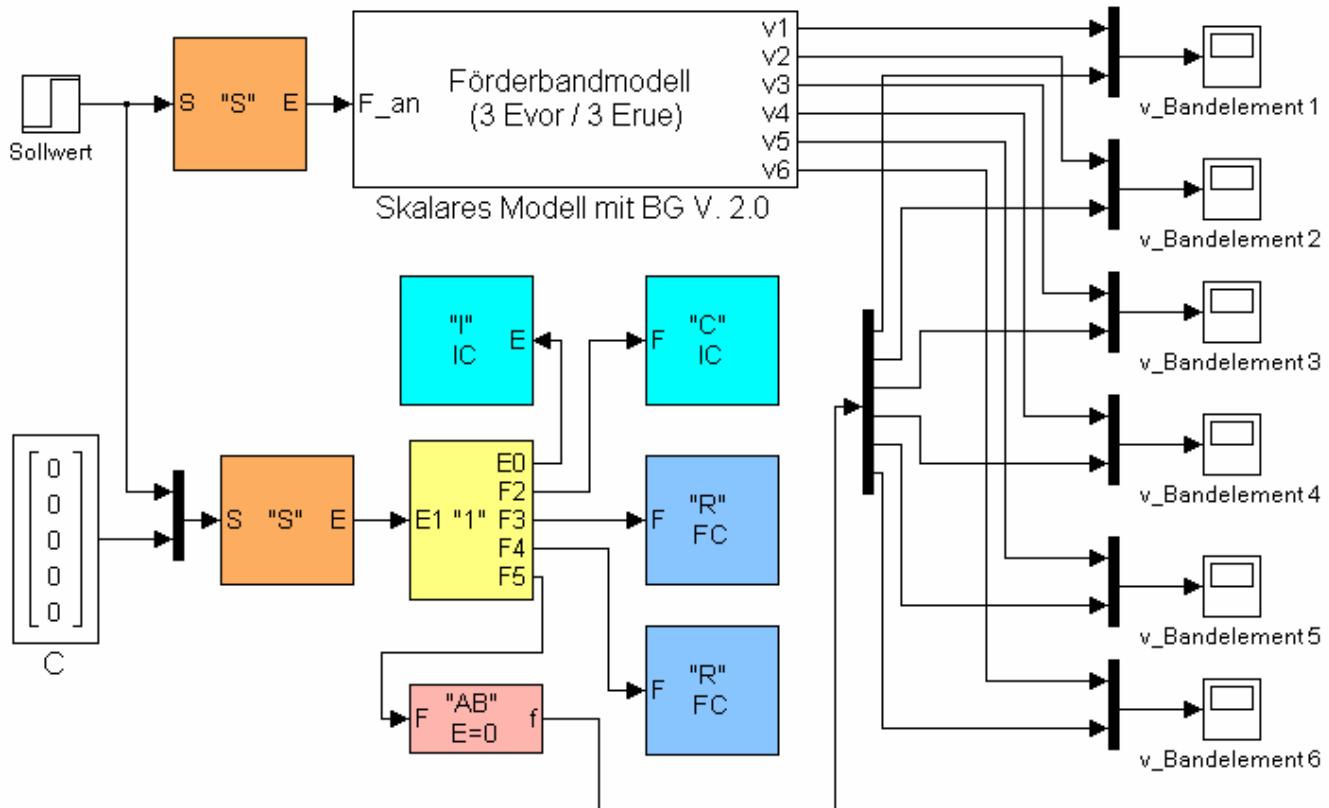
## Kelvin-Voigt-Element with extended measurement for power computation ( $P_{zu}$ and $P_{ab}$ )



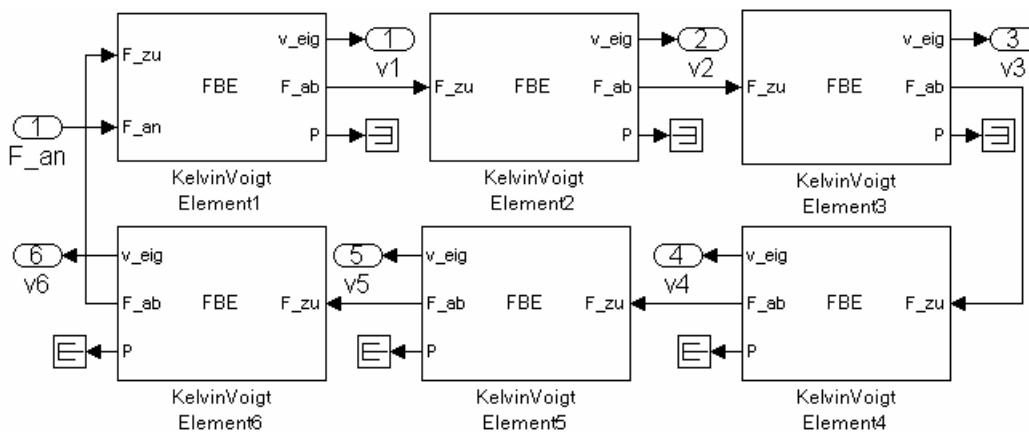
## KVE: Signal Flow Diagram – for comparison



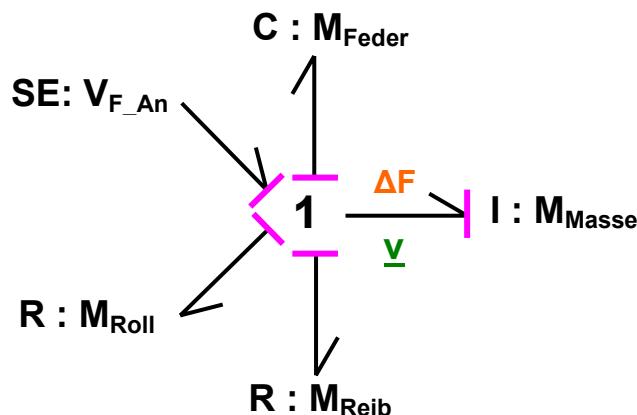
### KVE: remodelled Signal Flow Diagram – for comparison



Belt conveyor: parallel connection of a vectorial and a scalar Bond Graph



Belt conveyor: structure of a scalar Bond Graph consisting of 6 Kelvin-Voigt-Elements



Belt conveyor: structure of a vectorial Bond Graph (number of elements fixed by matrices Mx)

Belt conveyor consisting of 3 KVE's per motion direction (on resp. back rolling)